1116-52-2249 Matthew J Dannenberg* (mdannenberg@g.hmc.edu), 340 E. Foothill Blvd, Box 154, Claremont, CA 91711, and John Berry, Jason Liang and Yingyi Zeng. The Convex Body Isoperimetric Conjecture.
If a bubble with specific volume was placed in a convex container, what shape would it take and how little surface area could it have? What shape should the container be so as to maximize the required surface area of a bubble enclosing that volume? The Convex Body Isoperimetric Conjecture states that the least perimeter needed to enclose a given volume inside an open ball in $\mathbb{R}^{n}$ is greater than inside any other convex body with the same volume as the ball. The two-dimensional case has been proved by Esposito et al. for the case of exactly half the volume. In this talk, we unveil partial results toward a novel proof of the full conjecture in two dimensions. (Received September 22, 2015)

