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Brian Parshall and **Leonard Scott*** (11s21@virginia.edu). *Forced gradings in integral quasi-hereditary algebras.*

A forced grading for a finite dimensional algebra A over a field is the graded algebra $\text{gr } A$, the direct sum of the sections of the radical power filtration of A . If A has a positive grading, generated in grade 1, with grade 0 a semisimple algebra, then the graded algebra A is isomorphic to $\text{gr } A$. However, consideration of $\text{gr } A$ potentially can potentially reap the rewards of a positive grading, even when no positive grading on A is available. The difficulty, of course, is that the formal nature of $\text{gr } A$ makes it quite difficult to transport good properties of A , such as the quasi-hereditary property, to $\text{gr } A$. Nevertheless, the authors have achieved this in some natural cases arising in Lie theory. In this paper they take up similar questions when A is an algebra over a discrete valuation domain, and $\text{gr } A$ is given a (new) appropriate definition. Applications will be discussed as time permits. (Received January 17, 2012)