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Roger Nichols*, Mathematics Department, 202 Mathematical Sciences Bldg, University of Missouri, Columbia, MO 65211, and **Fritz Gesztesy**. *On the Infinite Volume Limit of Spectral Shift Functions*.

Using methods based on convergence of Fredholm determinants, we derive results of the type

$$\lim_{R \rightarrow \infty} \int_{\mathbb{R}} \xi(\lambda; H_R, H_{0,R}) f(\lambda) d\lambda = \int_{\mathbb{R}} \xi(\lambda; H, H_0) f(\lambda) d\lambda,$$

where $\xi(\cdot; A, B)$ denotes the spectral shift function associated with the pair of self-adjoint operators A and B . Here H_R , $H_{0,R}$ is an appropriate pair of self-adjoint operators associated with a finite volume, Λ_R , with H , H_0 the corresponding pair of self-adjoint operators in the infinite volume limit $R \rightarrow \infty$ and $f \in C_\infty(\mathbb{R})$, the continuous functions vanishing at $\pm\infty$. In a one-dimensional context, $\Lambda_R = [0, R]$, $R > 0$, these results apply to Schrödinger operators with any separated boundary conditions at 0 and R . These results are also applicable to n -dimensional Schrödinger operators and also to abstract scattering theoretic situations. (Received January 17, 2012)