

1072-46-221

**Fabio Cipriani** and **Daniele Guido\*** ([guido@mat.uniroma2.it](mailto:guido@mat.uniroma2.it)), Dipartimento di Matematica, Univ. Roma Tor Vergata, via della Ricerca Scientifica, Roma, Italy, and **Tommaso Isola** and **Jean-Luc Sauvageot**. *Differential 1-forms, their Integrals and Potential Theory on the Sierpinski Gasket*.

We provide a definition of differential 1-forms on the Sierpinski gasket  $K$  and their integrals on paths. We show how these tools can be used to build up a Potential Theory on  $K$ . In particular, we prove: i) a de Rham re-construction of a 1-form from its periods around lacunas in  $K$ ; ii) a Hodge decomposition of 1-forms with respect to the Hilbertian energy norm; iii) the existence of potentials of elementary 1-forms on suitable covering spaces of  $K$ . We then apply this framework to the topology of the fractal  $K$ , showing that each element of the dual of the first Čech homology group is represented by a suitable harmonic 1-form [arXiv:1105.1995] (Received June 28, 2011)