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Nathan C. Jones*, Mathematics Dept, University of Mississippi, Hume Hall 305, P.O. Box 1848, University, MS 38677. *The Lang-Trotter conjecture for Frobenius fields.*

Let E be an elliptic curve defined over \mathbb{Q} . For each prime p of good reduction for E , consider the quadratic extension $K(p)$ obtained by adjoining to \mathbb{Q} the roots of the p -th Frobenius polynomial. In 1976, S. Lang and H. Trotter predicted a precise asymptotic formula for the number of primes p up to X for which $K(p)$ is equal to a fixed imaginary quadratic field. In this talk, I will discuss recent joint work with A.C. Cojocaru and H. Iwaniec, in which we prove that the Lang-Trotter Conjecture holds "on average" over families of elliptic curves. (Received August 02, 2011)