Joseph P.S. Kung* (kung@unt.edu), Department of Mathematics, P.O. Box 311430, Denton, TX 76203-1430. Is the bicycle dimension of a matrix an invariant of the field and the column matroid? Preliminary report.
A matrix $H$ is orthogonally dual to the matrix $G$ if $H$ and $G$ have the same column set $E, H$ is a matrix of rank $|E|-\operatorname{rank}(G)$, and if $u$ is a row of $G$ and $v$ is a row of $H$, the inner product $\langle u, v\rangle=\sum_{e \in E} u_{e} v_{e}$ equals 0 . The bicycle dimension $d(G)$ of a matrix $G$ with column set $E$ is the dimension of the intersection of the row space of $G$ and the row space of $H$. The bicycle dimension is always 0 over a field of characteristic 0 . We will discuss the question whether the bicycle dimension of $G$ is determined by the field and the column matroid of $G$. (Received January 12, 2012)

