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**Sean Sather-Wagstaff** and **Richard Wicklein\*** (richard.wicklein@ndsu.edu). *Variations  
On A Result Of Lescot*. Preliminary report.

In 1990, Jack Lescot proved the following result.

Let  $(R, \mathfrak{m}, k)$  be a noetherian, local ring. Let  $\underline{x} = x_1, \dots, x_d$  be a minimal generating sequence for the maximal ideal  $\mathfrak{m}$ .  $K(\underline{x})$  is the Koszul complex on the minimal generating sequence. Let  $M$  be an  $R$ -module. Then the following are equivalent.

1. For all  $i$ ,  $0 \leq i \leq d$ , the  $k$ -vector space  $H_i(K(\underline{x}) \otimes_R M)$  is finite dimensional.
2. For all  $i \in \mathbb{N}$ , the  $k$ -vector space  $Tor_i^R(k, M)$  is finite dimensional.
3. For all  $i \in \mathbb{N}$ , the  $k$ -vector space  $Ext_R^i(k, M)$  is finite dimensional.

We will discuss some variations of Lescot's result when a minimal generating sequence for the maximal ideal is replaced by a generating sequence for an arbitrary ideal. (Received September 03, 2012)