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A very challenging question is to determine whether a smooth projective cubic fourfold X is rational or not, and to establish rationality criteria. For example no cubic fourfold is known to be not rational. It is known that X is rational either if X is Pfaffian or if X contains a plane and the associated quadric fibration admits a section.

Kuznetsov proposed the following conjecture: X is rational if and only if a distinguished subcategory \mathbb{A} of the derived category $D(X)$ is equivalent to the derived category of a K3 surface. The conjecture holds true in the two previous cases.

If X contains a plane, one can associate to X a quadric fibration over \mathbb{P}^2 , and a degree 2 K3 surface S . This determines an Azumaya algebra β on S , the Clifford invariant of X . The quadric fibration admits a section if and only if β is trivial. Kuznetsov establishes an equivalence between \mathbb{A} and $D(S, \beta)$, proving the conjecture.

In this paper, we provide an example of a Pfaffian (hence rational and realizing Kuznetsov conjecture) X with nontrivial Clifford invariant. Moreover, we establish Hodge theoretic criteria for a cubic fourfold containing a plane whose group of algebraic cycles of codimension 2 has rank 3 to have (non)trivial Clifford invariant. (Received August 16, 2012)