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**Ghodratollah Aalipour** (alipour.ghodratollah@gmail.com) and **Art Duval\*** (artduval@math.utep.edu). *Weighted spanning enumerators of color-shifted simplicial complexes.*

A color-shifted complex on  $r$  colors is an  $(r - 1)$ -dimensional simplicial complex whose vertices are partitioned into  $r$  disjoint color classes, with a linear order on the vertices in each color class, and whose facets satisfy the following conditions: (a) Every facet contains exactly one vertex of each color; and (b) If  $v < w$  are two vertices of the same color, then if  $F$  is a facet in the complex, and  $w \in F$ , then  $F \setminus \{w\} \cup \{v\}$  is also a facet in the complex. Ehrenborg and van Willigenburg counted weighted spanning trees of Ferrers graphs, which may be described as color-shifted complexes with  $r = 2$ . We find a factorization of a weighted enumeration of top-dimensional spanning trees of color-shifted complexes on  $r = 3$  colors, and we conjecture our technique will extend to all  $r$ . The proof relies on the simplicial Matrix-Tree Theorem, and identification of factors, as in Martin and Reiner. (Received August 26, 2013)