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Mahler's conjecture asks whether the cube is a minimizer for the volume product of a body and its polar in the class of symmetric convex bodies in  $R^n$ . The corresponding inequality to the conjecture is sometimes called the the reverse Blaschke-Santaló inequality. The conjecture is known in  $R^2$  and in several special cases. In the class of unconditional convex bodies, Saint Raymond confirmed the conjecture, and Meyer and Reisner, independently, characterized the equality case. In talk we will present a stability version of these results and also show that any symmetric convex body, which is sufficiently close to an unconditional body, satisfies the the reverse Blaschke-Santaló inequality. (Received August 27, 2013)