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A computable structure A is called computably categorical if for every computable isomorphic structure B there is a computable isomorphism from A to B . More generally, A is relatively computably categorical if for every isomorphic structure B there is an isomorphism from A to B , which is computable relative to the atomic diagram of B . Relative computable categoricity of A is equivalent to the existence of computably enumerable Scott family of existential formulas. Goncharov was the first to show that computable categoricity does not imply relative computable categoricity. His example was a graph. More examples of such structures in natural classes followed, even when the structures are 1-decidable. Here, we present a new example of such a structure that is a Fraïssé limit. This is joint work with E. Fokina and D. Turetsky. (Received August 01, 2015)