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**Timothy McNicholl\*** (mcnichol@iastate.edu), Department of Mathematics, Iowa State University, Ames, IA 50011. *Computable copies of  $\ell^p$  spaces.*

Suppose  $p$  is a computable real so that  $p \geq 1$ . It is shown that the halting set computes a surjective linear isometry between any two computable copies of  $\ell^p$ . It is also shown that this result is optimal in that when  $p \neq 2$  there are two computable copies of  $\ell^p$  with the property that any oracle that computes a linear isometry of one onto the other must also compute the halting set. These results hold in both the real and complex case. (Received June 02, 2015)