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**Arran C Hamm\*** (hamma@winthrop.edu) and **Jeff Kahn** (jkahn@math.rutgers.edu). *On Erdős-Ko-Rado for Random Hypergraphs.*

Denote by  $\mathcal{H}_k(n, p)$  the random  $k$ -graph in which each  $k$ -subset of  $\{1 \dots n\}$  is present with probability  $p$ , independent of other choices. More or less answering a question of Balogh, Bohman and Mubayi, we show: there is a fixed  $\varepsilon > 0$  such that if  $n = 2k + 1$  and  $p > 1 - \varepsilon$ , then w.h.p. (that is, with probability tending to 1 as  $k \rightarrow \infty$ ),  $\mathcal{H}_k(n, p)$  has the “Erdős-Ko-Rado property.” (Received September 18, 2014)