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**Leonid Krop\*** ([leonard.krop@gmail.com](mailto:leonard.krop@gmail.com)), Department of Mathematics, DePaul University, Chicago, IL 60614. *Counting number of isomorphism classes of extensions.*

For brevity, let us call a Hopf algebra nontrivial if it is neither commutative, nor cocommutative. We determine the number of nonisomorphic Hopf algebras  $H$  which exhibit an extension

$\mathbb{k}^G \rightarrow H \rightarrow \mathbb{k}C_p$  with  $G = C_{p^e} \times C_p$ ,  $e \geq 1$  and  $p$  odd. The even order case has been done by

Y. Kashina (2003).

Applying general theory for counting isomorphism classes of extensions with an arbitrary finite  $p$ -group  $G$  we prove the following

Theorem: For any  $e \geq 2$  there are  $2p + 8$  nontrivial Hopf algebras in the class of Hopf algebras which are extensions of  $\mathbb{k}^G$  by  $\mathbb{k}C_p$ .

Combining with some of our previous results the Theorem allows us to complete calculation of the number of nonisomorphic nontrivial semisimple Hopf algebras of dimension  $p^4$  containing an abelian group of group-likes of order  $p^3$ . That number equals to  $5p + 24$  if  $p > 3$ , and 33, otherwise. (Received August 09, 2014)