

1107-05-169

**David Bevan\*** ([david.bevan@open.ac.uk](mailto:david.bevan@open.ac.uk)), Department of Mathematics and Statistics, The Open University, Milton Keynes, MK7 6AA, United Kingdom. *Geometric grid classes of permutations and the matching polynomial.*

A *geometric grid class* consists of those permutations that can be drawn on a specified set of line segments of slope  $\pm 1$  arranged in a rectangular pattern governed by a matrix.

A *k-matching* of a graph is a set of  $k$  edges, no pair of which have a vertex in common. If, for each  $k$ ,  $m_k(G)$  denotes the number of distinct  $k$ -matchings of a graph  $G$  with  $n$  vertices, then the *matching polynomial*  $\mu_G(z)$  of  $G$  is defined to be

$$\mu_G(z) = \sum_{k \geq 0} (-1)^k m_k(G) z^{n-2k}.$$

It turns out that the growth rate of a geometric grid class is given by the square of the largest root of the matching polynomial of a certain graph associated with the geometric grid class. We will explore a proof of this result and consider some of its implications. (Received January 13, 2015)