We first look at geometric properties of so-called spaces of homogeneous type—sets equipped with a quasi-metric and a doubling measure. We then use these properties to explicitly describe a collection of “Haar-like” functions defined over such spaces and show that they form an orthonormal basis for $L^2$ functions. We finally look at some applications of these Haar functions. (Received January 20, 2015)