We consider a family of maximal dominant weights of the affine Lie algebra $\hat{\mathfrak{sl}}(n)$. Using the theory of crystal bases we show that the multiplicities of these weights are given by the number of certain lattice paths on a colored square. Then we relate the counting of these lattice paths with the number of certain standard tableaux. Finally we show that these multiplicities are given by the number of certain avoiding permutations. This talk is based on some joint work with Rebecca Jayne. (Received August 28, 2015)