Ellie Dannenberg\* (edanne2@uic.edu), University of Illinois at Chicago, Mathematics & Comp Sci MC 249, 851 S Morgan St, Chicago, IL 60607. Circle Packings on Complex Projective Surfaces.

The classical circle packing theorem of Koebe, Andreev, and Thurston says that given a triangulation  $\tau$  of a closed, orientable surface, there is a unique constant curvature metric on the surface so that the surface with this metric admits a circle packing with dual graph  $\tau$ . Circles are also key objects in studying complex projective surfaces. Kojima, Mizushima, and Tan give a definition of a circle packing on such a surface. Unlike in the metric case, there is a deformation space of complex projective circle packings with combinatorics given by  $\tau$ . This space is parametrized by cross ratio type coordinates. Kojima, Mizushima, and Tan describe this space in the case where  $\tau$  has 1 vertex. I expand some of their results to classes of higher vertex triangulations. (Received January 08, 2017)