Let $R$ be a commutative, Noetherian, local ring and $M$ a finitely generated $R$-module. Consider the module of homomorphisms $\text{Hom}_R(R/a, M/bM)$ where $b \subseteq a$ are parameter ideals of $M$. When $M = R$ and $R$ is Cohen-Macaulay, Rees showed that this module of homomorphisms is always isomorphic to $R/a$. Recently, K. Bahmanpour and R. Naghipour showed that if $\text{Hom}_R(R/a, R/b)$ is isomorphic to $R/a$ for every pair of parameter ideals $b \subseteq a$ then $R$ is Cohen-Macaulay. In this talk, we will discuss the structure of $\text{Hom}_R(R/a, M/bM)$ for general $M$, focusing on the case when $M = R$ and $R$ is a quotient of a power series ring. (Received February 08, 2017)