1128-49-144 **Jean E Taylor\*** (jtaylor@cims.nyu.edu). Almgren Almost Minimal Sets. Preliminary report. This talk concerns what Fred Almgren called  $(F, \epsilon, \delta)$  minimal sets but people are now calling Almgren (almost) minimal sets. It will be for geometric measure theory enthusiasts. These sets take some effort just to define, but when  $F \equiv 1$  they are the right concept for proving the structure of compound soap bubbles and of bubble-film surfaces on wire frame boundaries, as I did over 40 years ago. Instead of being constant, F can be a function of tangent plane direction (and perhaps position in space) and so gives an anisotropic surface energy function. The  $(F, \epsilon, \delta)$  condition can be thought of as the right codification of local stable force balance. The function  $\epsilon$  and the positive parameter  $\delta$  allow the minimization to be subject to various possible constraints. As the  $(F, \epsilon, \delta)$  condition can be expressed for all dimensions and co-dimensions, Almgren minimal sets continue to be a subject of active research. (Received February 22, 2017)