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**Robert Won\*** (wonrj@wfu.edu). *The noncommutative schemes of generalized Weyl algebras*. Preliminary report.

The first Weyl algebra,  $A_1$ , admits a natural  $\mathbb{Z}$ -grading. Paul Smith showed that  $\text{gr-}A_1$ , the category of graded  $A_1$ -modules, is equivalent to the category of quasicoherent sheaves on a certain quotient stack. Using autoequivalences of  $\text{gr-}A_1$ , Smith constructed a commutative ring  $C$ , graded by finite subsets of the integers and proved that  $\text{gr-}C$  is equivalent to  $\text{gr-}A_1$ . Here, we generalize results of Smith by using autoequivalences of a graded module category to construct rings with equivalent graded module categories. For certain generalized Weyl algebras, we use autoequivalences defined in a so that these constructions yield commutative rings. (Received July 18, 2016)