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**Tolga Karayayla\*** (tkarayay@metu.edu.tr). *Finite groups which act freely on smooth Schoen threefolds.*

A Schoen 3-fold is a fiber product  $X = B_1 \times_{\mathbb{P}^1} B_2$  over  $\mathbb{P}^1$  of two rational elliptic surfaces  $B_1$  and  $B_2$  with section. If  $X$  is smooth, it is a simply connected Calabi-Yau 3-fold. If a finite group  $G$  acts freely on  $X$ , then the quotient space  $X/G$  is a non-simply connected Calabi-Yau 3-fold. In order to list all non-simply connected Calabi-Yau 3-folds which are obtained as quotients of smooth Schoen 3-folds, the finite groups which act freely on Schoen 3-folds must be classified. We consider group actions on  $X$  where any element of the group is a product  $\tau_1 \times \tau_2$  of automorphisms of the elliptic surfaces  $B_1$  and  $B_2$  so that the automorphisms  $\phi(\tau_1)$  and  $\phi(\tau_2)$  on the base curve  $\mathbb{P}^1$  induced by  $\tau_1$  and  $\tau_2$  are the same. Each group  $G$  acting on  $X$  induces a group action on the base curve  $\mathbb{P}^1$ . The group actions on  $X$  which induce cyclic group actions on  $\mathbb{P}^1$  were classified by Bouchard and Donagi. In this talk, I will present my recent result that any finite group which acts freely on a smooth Schoen 3-fold induces a cyclic group action on the base curve  $\mathbb{P}^1$ . This result completes the classification of finite groups which act freely on smooth Schoen 3folds. (Received March 17, 2016)