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Representations of generalized quantum groups.

Let K be an algebraically closed field. Let $K^\times := K \setminus \{0\}$. Let X be a finite rank free abelian group. Let $\chi : X \times X \rightarrow K^\times$ be a map such that $\chi(a + b, c) = \chi(a, c)\chi(b, c)$ and $\chi(a, b + c) = \chi(a, b)\chi(a, c)$. Let n be a rank of X . Let $I := \{1, \dots, n\}$. Let $\Pi = \{\alpha_i | i \in I\}$ be a base of X . To the pair (χ, Π) , one can associate a Hopf K -algebra $U = U(\chi, \Pi)$ in a standard way. Let G be a simple Lie algebra of rank n . For some (χ, Π) , U is virtually isomorphic to the quantum group $U_q G$ (resp. the small quantum group $u_q G$), or the (small) quantum superalgebra of a simple (contragredient, or basic classical) Lie superalgebra. The following results have been achieved. (1) Matsumoto type theorem of Weyl groupoids (joint with Heckenberger (2008)). (2) Shapovalov determinants of U (joint with Heckenberger (2010)). (3) Universal R -matrix of U (joint with Angiono (2015)). (4) Classification of the finite dimensional simple modules of U (joint with Azam and Yousofzadeh (2015)). (5) Harish-Chandra type theorem of U (joint with Batra (2013)). In the talk, mainly (4) and (5) will be presented. (Received August 01, 2016)