Let $R = \oplus_{n \geq 0} R_n$ and $S = \oplus_{n \geq 0} S_n$ be graded rings. In this talk, we always assume that $k = R_0 = S_0$ is a field, $R, S$ are Noetherian and normal with dimension $\geq 2$. Then

$$[R#S = \oplus_{n \geq 0} R_n \otimes S_n]$$

is called the Segre product of $R$ and $S$.

In this talk, we assume $k$ has positive characteristic and discuss about F-rationality, property FFRT (finite F-representation type) and F-regularity of $R#S$.

In particular, we discuss procedure to make examples of normal FFRT which is not Cohen-Macaulay. (Received January 26, 2019)