We express the second quandle homology of a quasigroup Alexander quandles in terms of the exterior algebra of $X$. We present a short self-contained proof of its structure and provide some computational examples. The result is as follows:

Let $X$ be an Alexander quandle with $(1 - t)$ invertible. Then there is an isomorphism

$$H^Q_2(X, Z) = \frac{X \wedge Z X}{(x \wedge x - tx \wedge tx)}.$$

(Received January 29, 2019)