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**Theodore D. Drivas\*** (tdrivas@math.princeton.edu) and **Huy Q. Nguyen**. *Remarks on the emergence of weak solutions and anomalous dissipation on domains with boundaries.*

First, we prove that if the local second-order structure function exponents in the inertial range remain positive uniformly in viscosity, then any spacetime  $L^2$  weak limit of Leray–Hopf weak solutions of the Navier–Stokes equations on any bounded domain  $\Omega$  is a weak solution of the Euler equations. This holds for both no-slip and Navier–friction conditions with viscosity-dependent slip length. Next, we discuss an extension of Onsager’s conjecture for these weak solutions. Specifically, we give a localized regularity condition for energy conservation of weak solutions of the Euler equations assuming (local) Besov regularity of the velocity with exponent  $\sigma > 1/3$  and, on an arbitrary thin layer around the boundary, boundedness of velocity, pressure and continuity of the wall-normal velocity. We also prove that the global viscous dissipation vanishes in the inviscid limit for Leray–Hopf solutions of the Navier–Stokes equations under the similar assumptions, but holding uniformly in a vanishingly thin viscous boundary layer. (Received August 16, 2018)