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Suppose  $M$  is a matroid. The basis graph,  $G$ , of  $M$  has the bases of  $M$  as its vertices. Two vertices in  $G$  are adjacent when the symmetric difference of the bases has size two. It is easy to see that the basis graph of any matroid is connected. Suppose  $e$  is an element of  $M$ . The  $e$ -exchange basis graph of  $M$  has the bases of  $M$  as its vertices, and two vertices are adjacent when the symmetric difference of the bases is  $\{e, f\}$  for some  $f \in E(M) - e$ . In this talk, we will characterize exactly when these graphs are connected. We will show that a matroid  $M$  is connected if and only if the  $e$ -exchange basis graph of  $M$  is connected for every element  $e$ . (Received November 07, 2018)