Let \( \mathfrak{m} \) be the monster Lie algebra. We construct a group \( G(\mathfrak{m}) \) associated to \( \mathfrak{m} \) by generators and relations. The presentation of \( G(\mathfrak{m}) \) is an analog of Tits’ presentation of an adjoint Kac–Moody group. We construct imaginary root groups for all imaginary roots of \( \mathfrak{m} \). The subgroup \( U^+ \) of \( G(\mathfrak{m}) \) generated by all positive root groups embeds in the automorphism group of a completion \( \hat{\mathfrak{m}} \) of \( \mathfrak{m} \) and there is an analog of the Adjoint representation \( \text{Ad}: U^+ \to \text{Aut}(\hat{\mathfrak{m}}) \). (Received August 19, 2019)