A quantum covering group is an algebra with parameters $q$ and $\pi$ subject to $\pi^2 = 1$ that specializes to the usual quantum group at $\pi = 1$ and to a quantum supergroup at $\pi = -1$. We establish the Frobenius-Lusztig homomorphism and Lusztig-Steinberg tensor product theorem in the setting of quantum covering groups at roots of 1. The specialization of these constructions at $\pi = 1$ recovers Lusztig’s constructions for quantum groups at roots of 1. This is joint work with Christopher Chung and Weiqiang Wang. (Received February 03, 2019)