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... Preliminary report.

If  $O$  is a ring of integers, the group  $SL_n(O)$  is generated by its elementary matrices except when  $n = 2$  and  $O$  is non-Euclidean, imaginary quadratic. In this special case (when the discriminant belongs to the title sequence),  $SL_2(O)$  presentations are computed algorithmically—there is no known explicit and general presentation. We will take a geometric perspective on these groups that produces an explicit generating set and a new algorithm for finding the corresponding relations. (Received January 14, 2020)