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Gaku Liu* (gakuliu@uw.edu). *Unimodular triangulations of sufficiently large dilations.*

An integral polytope is a polytope whose vertices have integer coordinates. A unimodular triangulation of an integral polytope in \mathbb{R}^d is a triangulation in which all simplices are integral with volume $1/d!$. A classic result of Kempf, Mumford, and Waterman states that for every integral polytope P , there exists a positive integer c such that cP has a unimodular triangulation. We strengthen this result by showing that for every integral polytope P , there exists c such that for every positive integer $c' > c$, $c'P$ admits a unimodular triangulation. This answers a longstanding question in the area. (Received August 10, 2021)