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Monica Lewis* (malewi@umich.edu) and **Eric Canton**. *The Fedder action and a simplicial complex of local cohomologies.*

Let R be a regular ring of prime characteristic $p > 0$ and let $\underline{\mathbf{f}}$ be a permutable regular sequence of codimension c . We describe a complex of $R\langle F \rangle$ -modules, denoted $\Delta_{\underline{\mathbf{f}}}^{\bullet}(R)$, whose terms include $\Delta_{\underline{\mathbf{f}}}^0(R) = R/\underline{\mathbf{f}}$, equipped with its natural Frobenius action, and $\Delta_{\underline{\mathbf{f}}}^c(R) = H_{\underline{\mathbf{f}}}^c(R)$, equipped with a Frobenius action we refer to as the Fedder action. We show that $H^i(\Delta_{\underline{\mathbf{f}}}^{\bullet}(R)) = 0$ for all $i < c$, and that $H^c(\Delta_{\underline{\mathbf{f}}}^{\bullet}(R))$ is a copy of $H_{\underline{\mathbf{f}}}^c(R)$ equipped with the usual Frobenius action. Using the $\Delta_{\underline{\mathbf{f}}}^{\bullet}(R)$ complex, we show that if I is an ideal containing $\underline{\mathbf{f}}$ such that $H_I^i(R) = 0$ for all $\text{ht}(I) < i < \text{ht}(I) + c$ (which is automatic if R/I is Cohen-Macaulay or if $c = 1$), then the module $H_I^{\text{ht}(I/\underline{\mathbf{f}})+c}(R/\underline{\mathbf{f}})$ has Zariski closed support. (Received March 07, 2021)