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**Lindsey Hill\*** (hill1178@purdue.edu) and **Rachel Lynn**. *Coefficient Ideals of Monomial Ideals*. Preliminary report.

Let  $(R, m, k)$  be a Noetherian local ring of dimension  $d$  with an infinite residue field. Let  $I$  be an  $m$ -primary ideal. If  $R$  is equidimensional and universally catenary, the integral closure  $\bar{I}$  of an ideal  $I$  is the largest ideal containing  $I$  such that the multiplicity  $e_0(I)$  of  $I$  is equal to the multiplicity  $e_0(\bar{I})$  of  $\bar{I}$ . Kishor Shah generalized the notion of the integral closure by defining a sequence of ideals

$$I \subseteq I_{\{d\}} \subseteq I_{\{d-1\}} \subseteq \dots \subseteq I_{\{1\}} \subseteq I_{\{0\}} = \bar{I}$$

called coefficient ideals where  $I_{\{i\}}$ , the  $i^{\text{th}}$  coefficient ideal, is the largest ideal containing  $I$  such that the first  $i + 1$  Hilbert coefficients of  $I$  and  $I_{\{i\}}$  coincide. The Ratliff-Rush closure usually coincides with the  $d^{\text{th}}$  coefficient ideal. In this talk, I will discuss properties of coefficient ideals and give computations of coefficient ideals for classes of monomial ideals. (Received January 19, 2021)