The well-known Kent interest and annuity tables were incorporated in the last two books cited above; consequently, the following errors are to be found in all three sources.

In Table X (Ten-place Logarithms of Interest Ratios) of the Kents' compilation (p. 189–191) the following corrections should be made:

Rate i percent	Log $(1 + i)$ *for*	*read*
$1\frac{7}{24}$	0.00557 36901	0.00557 37171
$2\frac{2}{3}$	0.01161 76808	0.01142 94618

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350.—WILLIAM EDMUND MILNE, *Numerical Calculus*, Princeton University Press, Princeton, New Jersey, 1949.

On p. 374, in Table V, entitled Legendre's Polynomials (Adapted to the Interval $0 \leqq x \leqq 1$), the following corrections are necessary: $P_2(.47)$ should read $-.4946-$ instead of $-.4046-$; $P_5(.42)$ should read $.26499-$ instead of $.26498-$; and a minus sign should be affixed to the tabular value of $P_5(.34)$.

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351.—NATIONAL BUREAU OF STANDARDS, Applied Mathematics Series, v.5., *Tables of Sines and Cosines to Fifteen Decimal Places at Hundredths of a Degree*, U. S. Government Printing Office, Washington, D. C., 1949.

On p. 92–93 there is reprinted Herrmann's 30D table [1] of $\sin x$ for $x = 1°(1°)89°$. The last digit of the tabulated value of $\sin x$ should be increased by a unit when $x = 7°$, $38°$, and $44°$; the last tabulated digit should be decreased by a unit when $x = 50°$, $51°$, and $67°$.

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1. HERRMANN, "Bestimmung der trigonometrischen Functionen aus den Winkeln und der Winkel aus den Functionen, bis zu einer beliebigen Grenze der Genauigkeit," *K. Akad. der Wiss., Wien, Math.-Naturwiss. Classe, Sitzungsberichte*, v. 1, 1848, p. 174–180.

CORRIGENDUM

JOHN F. BRIDGE & STANLEY W. ANGRIST, "An extended table of roots of $J'_n(x)Y'_n(\beta x) - J'_n(\beta x)Y'_n(x) = 0$, "*Math. Comp.*, v. 16, 1962, p. 198–204.

In equation (3), on p. 198, the following corrections should be made: *for* $\frac{q - p^2}{\delta^2}$, *read* $\frac{q - p^2}{\delta^3}$; *for* $\delta = \frac{(s - 1)}{\beta - 1}$, *read* $\delta = \frac{(s - 1)\pi}{\beta - 1}$; and in the denominator of the expression for r the factor 8β should be replaced by $(8\beta)^5$.

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