E. H. MOORE: *A simple proof of the fundamental Cauchy-Goursat theorem.*

P. 501, l. 5.   For $<\epsilon$ read $\leqq\epsilon$.
P. 504, ll. 3, 7, 11 up. " $<$ " $\leqq$.

VOLUME 2.

E. J. WILCZYNSKI: *Invariants of systems of linear differential equations.*

P. 9, l. 12.   For semivariants *read*   seminvariants.
P. 11, l. 17.   " $y_k =$ " $\bar{y}_k = .$
P. 22, l. 3.   Make the expression into an equation by the addition of
                        $= 0$.

J. C. FIELDS: *On the reduction of the general Abelian integral.*

P. 79, l. 19.   For $r + s + 2 = \sigma$ read $r + s - 2 = \sigma$.
P. 80, l. 2 up.   " $n + 3$ " $n - 3$.
P. 85, l. 2.   " $+ \sum\limits_{\lambda=1}^{d+p}$ " $- \sum\limits_{\lambda=1}^{d+p}.$

H. F. STECKER: *On the determination of surfaces* · · · .

P. 155, l. 11 up.   Replace $d\mu$ in the expression for F_2 by $d\nu$.
"   l. 3 up.   The exponent of F_2 should be $-\frac{2}{3}$.
P. 159, l. 7.   For $m + \beta - 1$ read $m - \beta - 1$.
P. 163, l. 17 up.   " V_1 " V_2.
"   l. 1 up.   " $+ \phi_2(\nu)$ " $- \phi_2(\nu)$.

E. B. VAN VLECK: *On the convergence of continued fractions* · · · .

Pp. 223, 224.   The last line of p. 224 is to be set at the top of p. 223.
P. 226, l. 9 up.   For $- a_n M_{n-1}^2$ read $a_n M_{n-1}^2$.
P. 233, l. 16.   " $|a_n| / |\beta_n|$ " $a_n / |\beta_n|$.

W. F. OSGOOD: *On a fundamental property of a minimum* · · · .

P. 293, l. 7.   For its longest side *read*   the greatest of the differ-
                        ences $\tau_{i+1} - \tau_i$.