A better notation for the set $\Sigma_{k,\gamma}$ is $\Sigma_{k,\theta}$, where $\theta \equiv \gamma k - c^2$, so that both subscripts are now invariant.

For $p^{n-1}$ read $(p^n - 1)/(p - 1)$. The same correction should be made five times in the theorem on p. 377.


For . read , in which $A, B$ and $C$ are independent of $\lambda$.

S. Epsteen, Semireducible hypercomplex number systems.

I desire to point out the relation of the systems which are semireducible of the first kind to the imprimitive (nicht-ursprüngliche) system of MOLIEN in Mathematische Annalen, vol. 41. This can be done best by means of the following table (cf. the table of vol. 3, p. 442).—S. E.

<table>
<thead>
<tr>
<th>Conditions on Numerical System</th>
<th>Name of System</th>
<th>Group.</th>
</tr>
</thead>
<tbody>
<tr>
<td>$A_1, A_2, C_1, C_2$ (Transactions, vol. 3, pp. 440, 442)</td>
<td>Semi-reducible of the first kind.</td>
<td>$G$ is reducible, $G_{11}$ is the group of $E_1$, $G_{22}$ is not necessarily the group of $E_2$.</td>
</tr>
<tr>
<td>$A_2, C_1, C_2$ (Mathematische Annalen, vol. 41, pp. 9–23)</td>
<td>Imprimitive.</td>
<td>$G$ is reducible, $G_{11}$ is the group of the accompanying system (not necessarily $E_1$) and $G_{22}$ is not necessarily the group of $E_2$.</td>
</tr>
</tbody>
</table>

L. E. Dickson: The subgroups of order a power of 2 ....

In $\Omega_{2,5}$ replace 13 by $13^2$.

L. E. Dickson: Determination of all the subgroups ....

For $H_{212}$ read $H_{216}$.

E. W. Brown: On the smaller perturbations ....

For $\sin V'' + V' - 2h''$ read $\sin (V'' + V' - 2h'')$.

" 1. 4 up.  " $a'a'' (V'' + V' - 2h'')$ " $a'a'' \cos (V'' + V' - 2h'')$.

For $D^{-n}$ read $D_0^{-n}$. 

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