I prefer, in general, the base $e$ to the base 10 , hence I wrote

| $\ln N=8512$ | 49820. | 19441 | 64306 | 91970 | 00392 | 68915 | 27219 | 20072 | 90691 |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 44735 | 83107 | 43540 | 06734 | 37562 | 69257 | 39691 | 92203 | 38560 | 80379 | 50645 |
| 35319 | 56155 | 21919 | 86091 | 20430 | 32813 | 69381 | 92937 | 99118 | 55468 | 39229 |
| 06220 | 99672 | 39479 | 89224 | 30182 | 40042 | 11595 | 68346 | 79044 | 49991 | 39094 |
| 45918 | 12193 | 88257 | 46708 | 62725 | 85558 | 73685 | 88936 | 17534 | 93881 | 48799 |
| 09364 | 92047 | 61035 | 24668 | 01099 | 15304 | 50610 | 94898 | 31096 | 87169 | $\mathbf{7 3 8 5 1}$ |
| 16996. |  |  |  |  |  |  |  |  |  |  |

From this value of $\ln N$ to 320D the calculation of $N$ was made according to formulae (3) and (4) of the Introduction to my 137-place table (see MTAC, v. 1, p. 20). My result is $N=(4.2812477317574704803698711$ 5930563521339055482241443514174753723053523887471735048 3531936652994320333750604175336476310007803261390469104 84) $\times 10^{369698099}$. The digit in the 137th decimal place, as obtained from my original work-sheets, is actually 3 followed by 9759, hence I have raised it to 4 . The first 59 digits of $N$ calculated earlier by Weiss check exactly with the above result.

I have looked up the article by J. W. Meares in Br. Astr. Assoc., Jn., v. 31, 1921, p. 277-278, relative to $9!^{(919)}$. Towards everything in this note I take emphatic exception. 9 ! is no more one digit than $\Gamma\left(\frac{1}{2}\right)$ is two digits. Worst of all, his boundaries for $9!^{(901)}$ are both wrong. I found $\log 9!^{(9191)}$ $=(3.584483721901355569 \ldots) \times 10^{2017527}$. Since $10>(3.58448 \ldots)$ $>1, \therefore 10^{\left(10^{2017728)}\right.}>9!^{(9991)}>10^{\left(10^{2017527)}\right.}$. Again, since $10^{3.68448 \ldots}=3841.35 \ldots$ roughly, $9!^{\left(99^{191}\right)}=(3841.35 \ldots)^{\left(0^{2017627)}\right)}$.

Horace S. Uhler
12 Hawthorne Ave., Hamden 14, Conn. 29 August 1946.
67. Reversible Prime-Pairs.-A reversible prime-pair is a set of two primes such that one is obtained by reversing the digits of the other, e.g. ( 3583,3853 ). A similar reversible pair is of the type ( 929,929 ), in which both numbers are identical, otherwise it is a dissimilar pair. In a table of such pairs given by Gopal Lal Mathur, in "Reversible prime-pairs," Mathematics Student, v. 13, 1945, p. 48, are given 65 prime-pairs below 5000, from 11 to 3853,16 similar pairs and 49 dissimilar. This table is reproduced, in effect, in Scripta Math., v. 11, 1945, p. 274.

## QUERIES

20. Sang Tables.-In what American Libraries may the following works of Edward Sang (see MTAC, v. 1, p. 368-370) be consulted?
(a) A New Table of Seven-Place Logarithms of all Numbers from 20000 to 200 000, second issues improved. Edinburgh 1878, and London 1883. There are copies of the latter in the British Museum and the Bibliothèque Nationale. Where also may the 1915 reprint be found?
(b) Life Assurance and Annuity Tables, v. 2, "for every combination of two lives." London, 1859. In the British Museum there is a copy of both volumes of this work, so highly commended by A. De Morgan.
R. C. A.
