The first two integrals represent Bessel functions, and the third is an elementary integral. Thus

$$
f(x, y)=\left\{\frac{1}{2} \pi Y_{0}(y)-\sinh ^{-1} z+C(y, y z)\right\}-i\left\{\frac{1}{2} \pi J_{0}(y)-S(y, y z)\right\} .
$$

Tables ${ }^{1}$ of the integrals $C$ and $S$ have been reviewed in RMT 651 (MTAC, v. 3, 1948-49, p. 479-482).
A. E.
${ }^{1}$ Harvard University, Computation Laboratory, Annals, v. 18, 19: Tables of Generalized Sine- and Cosine-Integral Functions, Parts I and II, 1949.

## CORRIGENDUM

V. 4, p. 29, 1. -13 , for xx read 11.

