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We consider two-player positional games played on the edges of the complete graph. Players Avoider and Enforcer take turns in occupying the edges of  $K_n$ . In each round Avoider occupies one free edge and Enforcer occupies  $b$  free edges. Avoider wins the game of connectivity if at the end of the game his edges do NOT occupy a spanning tree, otherwise Enforcer wins. Other widely studied games involve the graph theoretic properties of having minimum degree at least  $k$ , containing a perfect matching, or a Hamilton cycle. In general, we are searching for the largest integer  $b$ , such that Enforcer, playing with bias  $b$ , is able to win these games against a skillful Avoider. In the talk I will elaborate on a couple of surprising phenomena related to this problem. Joint work with D. Hefetz, M. Krivelevich, and M. Stojaković. (Received January 30, 2008)