

998-16-10

Vijay Kumar Bhat* (vijaykumarbhat2000@yahoo.com), Vijay Kumar Bhat, 80/345, Patel Marg, Mansarovar Jaipur, Rajasthan India, 302020. *Minimal Prime Ideals of Skew-polynomial Rings.*

Let R be a right Noetherian ring and σ be an automorphism of R . Denote $R[x, \sigma]$ by $S(R)$. Let A be a minimal prime ideal of R . Let $\sigma(A) = A_1, \sigma(A_1) = A_2, \dots$; then since each A_n is a minimal prime ideal of R and the set of minimal prime ideals of R is finite, there exists a positive integer m such that $\sigma(A_m) = A$. We now show that P is a minimal prime ideal of $S(R)$ if and only if there exists a minimal prime ideal Q of R such that $P = S(Q^m)$ for some positive integer m . Same result is true in case of skew-Laurant polynomial ring also. (Received October 05, 2003)