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**P. Ara\*** ([para@mat.uab.es](mailto:para@mat.uab.es)), Departament de Matemàtiques, Edifici C, Universitat Autònoma de Barcelona, 08193 Bellaterra, Barcelona, Spain, **M. A. Gonzalez-Barroso** ([mariangeles.gonzalezbarroso@alum.uca.es](mailto:mariangeles.gonzalezbarroso@alum.uca.es)), Departamento de Matemáticas, Universidad de Cadiz, Apartado 40, 11510 Puerto Real, Cadiz, Spain, **K. R. Goodearl** ([goodearl@math.ucsb.edu](mailto:goodearl@math.ucsb.edu)), Department of Mathematics, University of California, Santa Barbara, CA CA 93106, and **E. Pardo** ([enrique.pardo@uca.es](mailto:enrique.pardo@uca.es)), Departamento de Matemáticas, Universidad de Cadiz, Apartado 40, 11510 Puerto Real, Cadiz, Spain. *Fractional skew monoid rings.*

Given an action  $\alpha$  of a monoid  $T$  on a ring  $A$  by ring endomorphisms, and an Ore subset  $S$  of  $T$ , a general construction of a fractional skew monoid ring  $S^{\text{op}} *_\alpha A *_\alpha T$  is given, extending the usual constructions of skew group rings and of skew semigroup rings. In case  $S$  is a subsemigroup of a group  $G$  such that  $G = S^{-1}S$ , we obtain a  $G$ -graded ring  $S^{\text{op}} *_\alpha A *_\alpha S$  with the property that, for each  $s \in S$ , the  $s$ -component contains a left invertible element and the  $s^{-1}$ -component contains a right invertible element. In the most basic case, where  $G = \mathbb{Z}$  and  $S = T = \mathbb{Z}^+$ , the construction is fully determined by a single ring endomorphism  $\alpha$  of  $A$ . If  $\alpha$  is an isomorphism onto a proper corner  $pAp$ , we obtain an analogue of the usual skew Laurent polynomial ring, denoted by  $A[t_+, t_-; \alpha]$ . Examples of this construction are given, and it is proven that several classes of known algebras, including the Leavitt algebras of type  $(1, n)$ , can be presented in the form  $A[t_+, t_-; \alpha]$ . Finally, mild and reasonably natural conditions are obtained under which  $S^{\text{op}} *_\alpha A *_\alpha S$  is a purely infinite simple ring. (Received February 07, 2004)