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**Jose Alfredo Lopez-Mimbela\*** (jalfredo@cimat.mx), Apartado postal 402, 36000 Guanajuato, Gto., Mexico. *Existence of local time and Tanaka formula for a two-type superprocess.*

Consider a superprocess  $X = (X_t)_t$  whose values are finite measures on  $S = \{1, 2\} \times R^d$ , and  $Ee^{-\int_S \phi(z)X_t(dz)} = e^{-\int_S u_t(z)\mu(dz)}$ , where  $\mu$  is a given finite measure on  $S$ ,  $\phi : S \rightarrow [0, \infty)$  is bounded and measurable, and  $u_t$  solves the equation  $\partial_t u_t(i, x) = Au_t(i, x) - C_i u_t^2(i, x)$ ,  $u_0 = \phi$ . Here  $C_i > 0$ ,  $A\phi(i, x) = \Delta_{\alpha_i}\phi(i, x) + V_i \sum_{j=1}^2 (m_{ij} - \delta_{ij})\phi(j, x)$ ,  $(i, x) \in S$ ,  $\Delta_{\alpha_i}$  denotes the generator of the symmetric  $\alpha_i$ -stable process,  $V_i > 0$  and  $m_{ij} > 0$  with  $\sum_{j=1}^2 m_{ij} = 1$ ,  $i = 1, 2$ . We prove that  $X$  has local time if  $d < 2 \min\{\alpha_1, \alpha_2\}$  and  $\mu$  has bounded density with respect to a reference measure on  $S$ . We also give a Tanaka formula-like representation of the local time. (Received February 23, 2004)