

**Meeting:** 1000, Albuquerque, New Mexico, SS 2A, Special Session on Several Complex Variables and CR Geometry

1000-32-121      **Evgeny A. Poletsky\*** (eapolets@syr.edu), 215 Carnegie Hall, Department of Mathematics, Syracuse University, Syracuse, NY 13244. *The minimum principle and disk envelopes*. Preliminary report.

Given a complex manifold  $Z$ , a projection  $P$  of  $Z$  onto another manifold  $M$  and a function  $\phi$  on  $Z$ , the minimum principle establishes cases when the infimum of  $\phi$  over the fibers of  $P$  is a plurisubharmonic function on  $M$ . First results of this kind were obtained by C. Kiselman.

The disk envelope of a function  $\phi$  on a complex manifold is another function whose value at some point is equal to the minimum of integrals of  $\phi$  over the boundaries of all analytic disks centered at this point. Disk envelopes are plurisubharmonic.

It was proved by the author that the minimum principle can be stated in a form general enough to imply the plurisubharmonicity of disk envelopes. However, it was supposed in the proof that the fibers of  $P$  are connected.

The case of disconnected fibers leads to an appearance of new manifolds associated with  $Z$  and  $P$  and elements of fundamental group  $Z$  generated by loops that extend as analytic disk in a bigger space.

In this talk we will present first results about the geometry of these objects. (Received August 20, 2004)