

Meeting: 1002, Pittsburgh, Pennsylvania, SS 9A, Special Session on Multivariate Hypergeometric Functions: Combinatorial and Algebro-Geometric Aspects

1002-58-149 **Teresa Monteiro Fernandes*** (tmf@ptmat.fc.ul.pt), Departamento de Matematica da FCUL, bloco C6, piso 2, Campo Grande, 1699 Lisboa, Portugal. *Micro-support of solution sheaves of D-Modules.*

Given X a complex manifold, a coherent module over the sheaf D of differential operators is nothing but the data of a system of linear partial differential operators on X . Let O denote the sheaf of holomorphic functions on X , and F denote an R -constructible sheaf. Let M be a coherent D -Module. The complex $R\text{Hom}(F, O)$ describes the "generalized functions" on X and the complex $R\text{Hom}(M, R\text{Hom}(F, O))$ describes the solutions of M in the generalized functions. Sato's hyperfunctions as well as holomorphic functions with singularities on a given hypersurface are particular cases of $R\text{Hom}(F, O)$. Many questions concerning $R\text{Hom}(M, R\text{Hom}(F, O))$, as propagation and Cauchy problem, are solved by the knowledge of the characteristic variety of the system M ($\text{char}(M)$) and the micro-support of F ($\text{SS}(F)$). But if we are concerned with growth conditions, as it is the case of distributions or the meromorphic functions, we have to deal with a new family of complexes, denoted $t\text{Hom}(F, O)$, introduced by M.Kashiwara and largely studied by M.Kashiwara and P.Schapira, and $\text{char}(M)$ together with $\text{SS}(F)$ are no longer sufficient. In this talk, we give estimates for the micro-support of $R\text{Hom}(M, R\text{Hom}(F, O))$ assuming some regularity conditions either on M or on F . Part of the results were obtained with the above named authors. (Received September 13, 2004)