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1004-13-106 **Jeanam Park*** (jnpark@inha.ac.kr), Department of Mathematics, Inha University, 402-751 Incheon, South Korea. *Generating sets for ideals of a pullback.* Preliminary report.

Let T be an integral domain, M a nonzero maximal ideal of T, $k = T/M$, $k^* = k \setminus \{0\}$, $\varphi : T \to k$ the natural ring epimorphism, D a proper subring of k, and $R = \varphi^{-1}(D)$. In this paper, we show that if k is the quotient field of D and the map $\tilde{\varphi} : U(T) \to k^*/U(D)$, given by $\tilde{\varphi}(u) = \varphi(u)U(D)$, is surjective, then $\#(I) = max\{\#(\varphi(I)), \#(IT)\}$ for each ideal I of R with $I \nsubseteq M$, where $\#(J)$ is the minimal number of generators of an ideal J.

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