

**Meeting:** 1005, Newark, Delaware, SS 5A, Special Session on Designs, Codes, and Geometries

1005-51-125      **David A. Drake\*** (dad@math.ufl.edu), University of Florida, Department of Mathematics, P.  
O. Box 118105, Gainesville, FL 32611. *Desarguesian nets without ovals*. Preliminary report.

Let  $\Pi = \Pi(D)$  be the Desarguesian affine plane coordinatized by a division ring  $D$ . An  $r$ -net  $\Sigma$  held by  $\Pi$  is the union of  $r$  parallel classes of lines of  $\Pi$ . A set  $S$  of  $r$  points of  $\Sigma$  is called an *oval* of  $\Sigma$  if each two but no three points of  $S$  are collinear in  $\Sigma$ . Necessary and sufficient conditions for  $\Pi$  to hold an  $r$ -net **with** oval are known for  $r \leq 7$ . Assume that  $r = 6$  or  $7$  and, in the case  $r = 7$ , that  $\text{char} D \neq 2$ ; under these assumptions, we prove that  $\Pi$  holds an  $r$ -net **without** an oval if and only if  $|D| \geq 9$ . (Received February 03, 2005)