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**Ali Sameripour\*** (asameripour@yahoo.com), Sameripour Ali, Mathematics Department,  
Lorestan University, 6814983418 Khoram Abade, Lorestan, Iran. *Topics on The Spectral Properties  
Of Weighted Non Selfadjoint Elliptic of Differential Operators.*

Let  $\Omega \subset R^n$  be a bounded domain with smooth boundary  $\partial\Omega \in C^\infty$ . Let

$$(Pu)(x) = - \sum_{i,j=1}^n \frac{\partial}{\partial x_j} \left( \omega^2(x) a_{ij}(x) Q(x) \frac{\partial u(x)}{\partial x_i} \right),$$

on the space  $H_\ell = L^2(\Omega)^\ell = L^2(\Omega) \times \cdots \times L^2(\Omega)$  ( $\ell$ -times) associated with the noncoercive bilinear form  $\mathcal{P}[u, v] = \int_\Omega \left\langle \omega(x) a_{ij}(x) Q(x) \frac{\partial u(x)}{\partial x_i}, \omega(x) \frac{\partial v(x)}{\partial x_j} \right\rangle_{\mathbf{C}^\ell} dx$ . In view of our ealier paper (see [10]), let the conditions made on the weighted function  $\omega(x)$  be sufficntly more general than [10]. In this paper we investigate the the resolvent and so asymptotical formula for distribution of the eigenvalues (ev) of the operator  $P$ . (Received January 19, 2006)