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**Ronnie Pavlov\*** (rpavlov@math.ohio-state.edu), 231 W. 18th Ave., Columbus, OH 43210.

*Perturbations of Multidimensional Shifts of Finite Type.*

For any symbolic topological dynamical system  $\mathbf{Y} = (Y, \sigma)$  (i.e.  $Y$  is a closed shift-invariant subset of  $A^{\mathbb{Z}}$  for some finite set  $A$ ) with positive topological entropy, one can ask the question: if a word  $w$  in the language of  $Y$  is removed, how much does the topological entropy  $h^{top}(Y)$  decrease by? Some cases are not very interesting; for example if  $\mathbf{Y}$  is minimal, then the removal of any word will leave the empty system, with topological entropy zero. At the other end of the spectrum, Douglas Lind proved in a 1989 paper that for any mixing shift of finite type  $X$ , there exist constants  $C, D > 0$  and  $N$  such that for any word  $w$  of length  $n > N$  which is in the language of  $X$ , if one defines the shift of finite type  $X_w$  as consisting of all members of  $X$  in which  $w$  does not appear, then  $Ce^{-h^{top}(X)n} < h^{top}(X) - h^{top}(X_w) < De^{-h^{top}(X)n}$ . I will be discussing an extension of Lind's result which applies to  $\mathbb{Z}^d$  shifts of finite type for  $d \geq 1$ . (Received August 28, 2006)