

1027-05-183

Drew Armstrong* (armstron@math.umn.edu), School of Mathematics, U of Minnesota, 127 Vincent Hall, 206 Church St. SE, Minneapolis, MN 55455. *Fuss-Catalan combinatorics for finite Coxeter groups.*

In the presenter's thesis, a generalization $NC^{(k)}(W)$ of the lattice of noncrossing partitions has been defined for each finite Coxeter group W and positive integer k . When $k = 1$, this coincides with the lattice $NC(W)$ recently defined by Brady-Watt and Bessis. When W is the symmetric group, we obtain the poset of k -divisible noncrossing partitions, first studied by Edelman.

It turns out that the poset $NC^{(k)}(W)$ has beautiful enumerative formulas expressed in the degrees of the group W . The poset, together with the **generalized nonnesting partitions** of Athanasiadis and the **generalized cluster complex** of Fomin and Reading, suggests a new algebraic theory of "Fuss-Catalan combinatorics". This subject has inspired much recent work and it offers several exciting open problems. (Received February 26, 2007)