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We recall that a monomial algebra  $A$  over a field  $k$  is given by  $kQ/I$ , where  $Q$  is a finite quiver,  $kQ$  is the path  $k$ -algebra and  $I$  is the ideal generated by paths of length greater than 1.

We describe the indecomposable bounded-above complexes of projective  $A$ -modules, in terms of the minimal gradable covering of the quiver  $\underline{Q}$  that has the same vertices as  $Q$  and for each two vertices  $p, q$  one arrow for each path in  $Q$  from  $p$  to  $q$  which is not in  $I$ .

We will consider two interesting particular cases: (1) Algebras with radical squared zero (joint work with L. Shiping)  
(2) Gentle Algebras. (Received February 25, 2007)